

Multiple Comparisons

Dependent Variable: y

Tamhane

Group

Group (I)	Group (J)	Mean Diff (I-J)	Std. Error	Sig.	95% Confidence Interval Lower	95% Confidence Interval Upper	df
1.00	2.00	-1.00000	1.18523	.974	-7.6320	5.6320	3.3259475
	3.00	.00000	1.23443	1.000	-6.0870	6.0870	3.8787879
	4.00	-4.00000	1.46059	.185	-9.5967	1.5967	6.04724409
2.00	1.00	1.00000	1.18523	.974	-5.6320	7.6320	
	3.00	1.00000	0.51177	.389	-0.6658	2.6658	10.1235060
	4.00	-3.00000	0.93350	.144	-7.0438	1.0438	4.724650825
3.00	1.00	.00000	1.23443	1.000	-6.0870	6.0870	
	2.00	-1.00000	0.51177	.389	-2.6658	0.6658	
	4.00	-4.00000(*)	0.99523	.042	-7.8520	-0.1480	5.908230153
4.00	1.00	4.00000	1.46059	.185	-1.5967	9.5967	
	2.00	3.00000	0.93350	.144	-1.0438	7.0438	
	3.00	4.00000(*)	0.99523	.042	0.1480	7.8520	

* The mean difference is significant at the .05 level.

For Comparison of group 1 with group 2 this implies:

Std Err square = $1.18523 * 1.18523 = 1.4047702$

The Interval on this comparison is $-1 - (-7.6320) = 6.6320$

OR $5.6320 - (-1) = 6.6320$

The interval is equal to $SE * t_{cv}$, thus

$$t_{cv} = \text{interval} / SE = 6.6320 / 1.18523 = 5.5955384$$

Recall there are 6 pairwise comparisons so the adjusted alpha with alpha = .05 is:

Sidak adjusted alpha is $= 1 - (1 - .05)^{(1/6)}$;

$q = 1 - (\text{adjusted alpha} / 2) = 0.9957438$

from Welch Satterhwaite the df for this comparison is **3.3259475**

$t_{cv} = \text{tinv}(q, dfe)$

$t_{cv} = \text{tinv}(.9957438, 3.3259475) = 5.5955384$